

СПИСЪК НА ЦИТИРАНИЯТА

на Йорданка Панева-Коновска, доц. д. н.

Брой цитирани публикации: 23	Брой забелязани цитиращи източници: 148 (23 броя публикации са цитирани от 148 източници, от които 120 международни или в чужбина) <ul style="list-style-type: none">• 6 цитирания в монографии, 6 в книга,• 12 броя в списания с SJR,• 70 броя в списания с импакт фактор. Сумарен импакт фактор на цитиранията: IF = 128,974 & SJR = 4,648.
h-индекс (индекс на Хирш)	h=7 (съгл. Web of Science) & h=8 (съгл. Scopus) h=12 (съгл. Cooglescholar & Harzing's Publish or Perish)

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